# <u>Reasoning and Problem Solving</u> <u>Step 7: Angles in a Triangle – Missing Angles</u>

# National Curriculum Objectives:

Mathematics Year 6: (6G4b) <u>Recognise angles where they meet at a point, are on a</u> straight line, or are vertically opposite, and find missing angles

# **Differentiation:**

Questions 1, 4 and 7 (Reasoning)

Developing Explain how it's possible to find missing angles using knowledge of angles in a triangle and angles on a straight line. Includes angles measured to the nearest ten degrees.

Expected Explain how it's possible to find missing angles using knowledge of angles in a triangle, angles on a straight line and angles around a complete rotation. Includes angles measured to the nearest 5 degrees.

Greater Depth Explain how it's possible to find missing angles using knowledge of angles in a triangle, angles on a straight line, vertically opposite angles and angles around a complete rotation. Includes angles measured to the nearest whole degree.

### Questions 2, 5 and 8 (Reasoning)

Developing Explain who has calculated the missing angle correctly using knowledge of angles in a triangle and angles on a straight line. Includes angles measured to the nearest ten degrees.

Expected Explain who has calculated the missing angle correctly using knowledge of angles in a triangle, angles on a straight line and vertically opposite angles. Includes angles measured to the nearest five degrees.

Greater Depth Explain who has calculated the missing angle correctly using knowledge of angles in a triangle, angles on a straight line, vertically opposite angles and angled around a complete rotation. Includes angles measured to the nearest whole degree.

Questions 3, 6 and 9 (Problem Solving)

Developing Find 1 incorrect angle and fix the mistake. Includes angles measured to the nearest ten degrees.

Expected Find 1 incorrect angle and fix the mistake. Includes angles measured to the nearest five degrees.

Greater Depth Find 2 incorrect angles and fix the mistakes. Includes angles measured to the nearest whole degree.

More <u>Year 6 Properties of Shapes</u> resources.

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## <u>Reasoning and Problem Solving</u> Angles in a Triangle – Missing Angles

### Developing

1a. Kelly is wrong as a = 40° and b = 140°. Angle a is calculated by knowing that angles in a triangle total  $180^\circ$ . Angle b is calculated by knowing that angles on a straight line total  $180^\circ$ .  $(180^\circ - 40^\circ = 140^\circ)$ . 2a. Oscar is correct. If he calculated the angle of the straight line fist  $(180^\circ - 100^\circ =$  $80^\circ)$  he can then add the two angles in the triangle  $(30^\circ + 80^\circ = 110^\circ)$  and subtract that answer from  $180^\circ$  to give him  $70^\circ$ . 3a.  $100^\circ$  should be  $110^\circ$ .

### **Expected**

4a. Rosie is wrong as a =  $35^{\circ}$ , b =  $280^{\circ}$ , c =  $45^{\circ}$  and d =  $135^{\circ}$ . Angles a and c can be calculated using knowledge that angles in a triangle total  $180^{\circ}$ . Angle b can be calculated once angle a is known and using knowledge that the angle of a complete circle is  $360^{\circ}$ . Angle d can be calculated using knowledge that the angle of a complete circle is  $360^{\circ}$ . Angle d can be calculated using knowledge that the angle of a straight line is  $180^{\circ}$ . 5a. Chrissy is correct. Using knowledge that the angle of a straight line is  $180^{\circ}$ , it is possible to calculate all of the angles in the triangle. Then, it is possible to calculate  $180^{\circ} - 60^{\circ} = 120^{\circ}$ . 6a.  $285^{\circ}$  should be  $295^{\circ}$ .

#### Greater Depth

7a. Rob is wrong as a = 16°, b = 75°, c = 89° and d = 33°. The angles can be calculated using knowledge of the angle of a straight line, angles in a triangle and vertically opposite angles. 8a. Alex is correct. He needed to calculate the angles of a straight line first (98° + 73° = 135°, 180° - 135° = 45° and180° - 126° = 54°). He can then calculate the missing angle in the triangle as 89°. 180° - 89° = 91°, 91° + 45° = 136°, 180° -136° = 44°.9a. Both 121° should be 131°.

## <u>Reasoning and Problem Solving</u> <u>Angles in a Triangle – Missing Angles</u>

### Developing

1b. Matt is correct as  $a = 80^{\circ}$ ,  $b = 70^{\circ}$  and  $c = 110^{\circ}$ . Angles b and c can be calculated by understanding that angles in a triangle total  $180^{\circ}$ . Angle a can be calculated by working out  $70^{\circ} + 30^{\circ} = 100^{\circ}$ , then  $180^{\circ} - 100^{\circ} = 80^{\circ}$ . 2b. Ellie is correct. The missing angle inside the triangle is  $80^{\circ}$  ( $60^{\circ} + 40^{\circ} + 80^{\circ} = 180^{\circ}$ ). The angle of a straight line is  $180^{\circ}$ , so  $180^{\circ} - 80^{\circ} = 100^{\circ}$ . 3b.  $60^{\circ}$  should be  $70^{\circ}$ .

### **Expected**

4b. Stan is correct as  $a = 75^{\circ}$ ,  $b = 35^{\circ}$ ,  $c = 70^{\circ}$ ,  $d = 70^{\circ}$  and  $e = 110^{\circ}$ . Angles b and e can be calculated using knowledge that angles in a triangle total 180°. Angles a and c can be calculated using knowledge that the angle of a straight line is 180°.

5b. Mary is correct. She has used her knowledge of vertically opposite angles.
6b. 145° should be 140°.

### Greater Depth

7b. Balvinder is correct as a =  $128^{\circ}$ , b =  $102^{\circ}$ , c =  $306^{\circ}$  and d =  $106^{\circ}$ . The angles can be calculated using knowledge of the angles on a straight line, angles in a triangle, angles around a complete rotation and vertically opposite angles. 8b. Sid is correct. He needed to calculate  $180^{\circ} - 89^{\circ} = 91^{\circ} + 53^{\circ} = 144^{\circ}$ . then  $180^{\circ} - 144^{\circ} = 36^{\circ}$ . Angle c can then be calculated as  $36^{\circ}$  using knowledge of vertically opposite angles. 9b.  $138^{\circ}$  should be  $139^{\circ}$  and  $124^{\circ}$  should be  $134^{\circ}$ .

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Reasoning and Problem Solving – Angles in a Triangle – Missing Angles ANSWERS

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