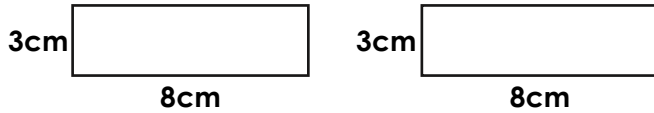


## Area and Perimeter

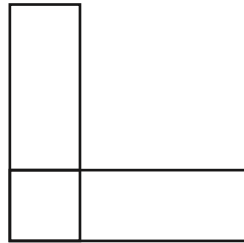
## Area and Perimeter

1a. Eddie draws two equal rectangles.



He puts them together to make a new shape.

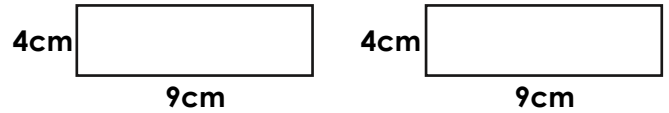
What is the area and perimeter of the new shape?



*Not to scale*

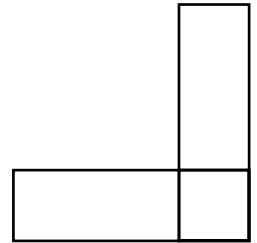
PS

1b. Sadie draws two equal rectangles.



She puts them together to make a new shape.

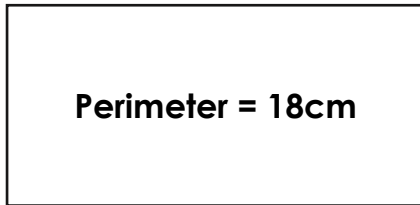
What is the area and perimeter of the new shape?



*Not to scale*

PS

2a. A shape has a perimeter of 18cm.



What is the largest area the shape could have?

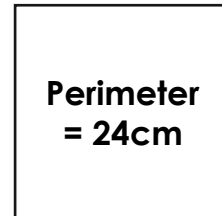
What is the smallest area the shape could have?



*Not to scale*

PS

2b. A shape has a perimeter of 24cm.



What is the largest area the shape could have?

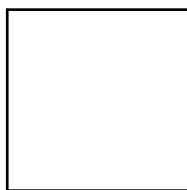
What is the smallest area the shape could have?



*Not to scale*

PS

3a. Rosa says,



Squares have the same area and perimeter because you multiply by 4.

Do you agree? Prove it.



R

3b. Jacob says,



Rectangles have the same area and perimeter because you just multiply the length by width.

Do you agree? Prove it.

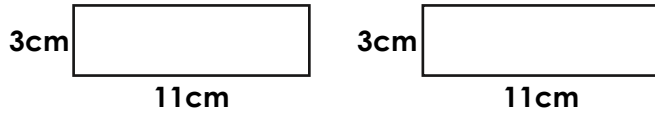


R

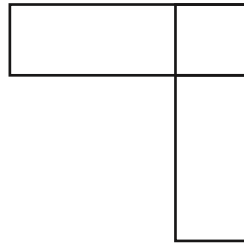
## Area and Perimeter

## Area and Perimeter

4a. Freddy draws two equal rectangles.



He puts them together to make a new shape.



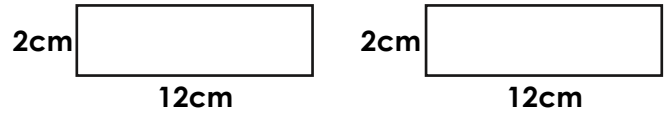
Using the correct formulae, find the area and perimeter of the new shape.



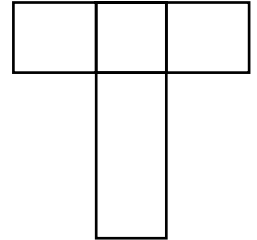
*Not to scale*

PS

4b. Hayley draws two equal rectangles.



She puts them together to make a new shape.



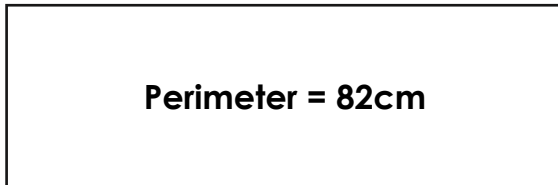
Using the correct formulae, find the area and perimeter of the new shape.



*Not to scale*

PS

5a. A shape has a perimeter of 82cm.



What is the largest area the shape could have?

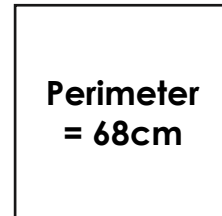
What is the smallest area the shape could have?



*Not to scale*

PS

5b. A shape has a perimeter of 68cm.



What is the largest area the shape could have?

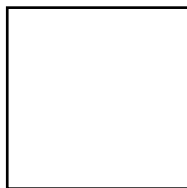
What is the smallest area the shape could have?



*Not to scale*

PS

6a. Cally says,



A square can have the same area and perimeter.

Do you agree? Prove it.



R

6b. Brendan says,



A rectangle will always have a different area and perimeter.

Do you agree? Prove it.

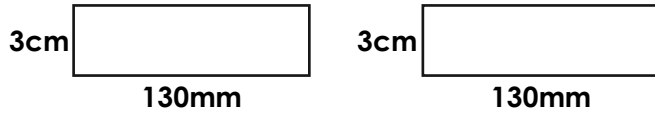


R

## Area and Perimeter

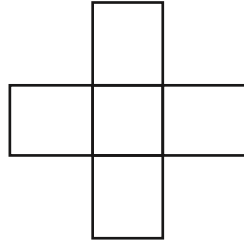
## Area and Perimeter

7a. Hamza draws two equal rectangles.



He puts them together to make a new shape.

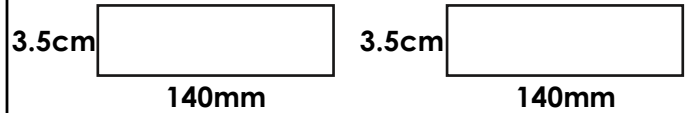
Using the correct formulae, find the area and perimeter of the new shape.



Not to scale

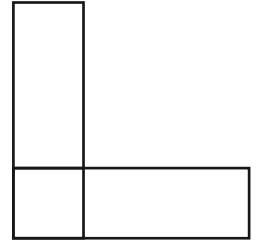
PS

7b. Joanna draws two equal rectangles.



She puts them together to make a new shape.

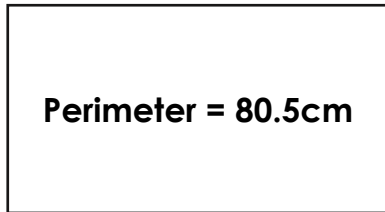
Using the correct formulae, find the area and perimeter of the new shape.



Not to scale

PS

8a. A shape has a perimeter of 80.5cm.



What is the largest area the shape could have?

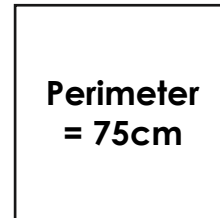
What is the smallest area the shape could have?



Not to scale

PS

8b. A shape has a perimeter of 75cm.



What is the largest area the shape could have?

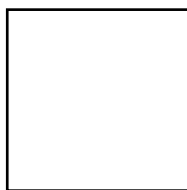
What is the smallest area the shape could have?



Not to scale

PS

9a. Suzie says,



If a square has an area that is a decimal, then its perimeter will always be a decimal too.

Do you agree? Prove it.



R

9b. Kevin says,



If a rectangle has a perimeter that is a decimal, then its area will always be a decimal too.

Do you agree? Prove it.



R

## Reasoning and Problem Solving Area and Perimeter

### Developing

1a. Area =  $39\text{cm}^2$ , Perimeter =  $32\text{cm}$

2a. Largest area =  $4\text{cm} \times 5\text{cm} = 20\text{cm}^2$

Smallest area =  $8\text{cm} \times 1\text{cm} = 8\text{cm}^2$

3a. Disagree; to find the area you multiply length by width, to find the perimeter, you add all the sides together. For example: in a square that measures  $6\text{cm} \times 6\text{cm}$ , the area is  $36\text{cm}^2$ , but the perimeter is  $24\text{cm}$ .

### Expected

4a. Area =  $57\text{cm}^2$ , Perimeter =  $44\text{cm}$

5a. Largest area =  $20\text{cm} \times 21\text{cm} = 420\text{cm}^2$

Smallest area =  $40\text{cm} \times 1\text{cm} = 40\text{cm}^2$

6a. Agree; some squares have an equal area and perimeter (for example,  $4\text{cm} \times 4\text{cm}$ ), however, others do not (such as  $5\text{cm} \times 5\text{cm}$ ).

### Greater Depth

7a. Area =  $69\text{cm}^2$ , Perimeter =  $52\text{cm}$

8a. Largest area =  $20\text{cm} \times 20.25\text{cm} = 405\text{cm}^2$  (Accept this answer, however, if children wish to take this further, other decimals can produce larger areas such as  $20.1\text{cm} \times 20.15\text{cm} = 405.015$ . This may require a calculator).

Smallest area =  $40\text{cm} \times 0.25\text{cm} = 10\text{cm}^2$

9a. Disagree; if the area of a square is a decimal number, it does not mean that the perimeter will be a decimal as well. For example; Perimeter =  $4.5\text{cm} + 4.5\text{cm} + 4.5\text{cm} + 4.5\text{cm} = 18\text{cm}$ .

Area =  $4.5 \times 4.5 = 20.25\text{cm}^2$ .

## Reasoning and Problem Solving Area and Perimeter

### Developing

1b. Area =  $56\text{cm}^2$ , Perimeter =  $36\text{cm}$

2b. Largest area =  $6\text{cm} \times 6\text{cm} = 36\text{cm}^2$

Smallest area =  $11\text{cm} \times 1\text{cm} = 11\text{cm}^2$

3b. Disagree; to find the area, you multiply length by width, to find the perimeter you add all the sides together. For example: in a rectangle that measures  $3\text{cm} \times 4\text{cm}$ , the area is  $12\text{cm}^2$ , but the perimeter is  $14\text{cm}$ .

### Expected

4b. Area =  $44\text{cm}^2$ , Perimeter =  $48\text{cm}$

5b. Largest area =  $17\text{cm} \times 17\text{cm} = 289\text{cm}^2$

Smallest area =  $33\text{cm} \times 1\text{cm} = 33\text{cm}^2$

6b. Disagree; some rectangles have an equal area and perimeter (for example,  $3\text{cm} \times 6\text{cm}$ ), however others do not (such as  $7\text{cm} \times 5\text{cm}$ ).

### Greater Depth

7b. Area =  $85.75\text{cm}^2$ , Perimeter =  $56\text{cm}$

8b. Largest area =  $18.5\text{cm} \times 19\text{cm} = 351.5\text{cm}^2$

Smallest area =  $37\text{cm} \times 0.5\text{cm} = 18.5\text{cm}^2$

9b. Disagree; although a rectangle may have a perimeter with a decimal number, it is still possible for the area to be a whole number. For example; Perimeter =  $1.2\text{cm} + 5\text{cm} + 1.2\text{cm} + 5\text{cm} = 12.4\text{cm}$ .  
Area =  $1.2 \times 5 = 6\text{cm}^2$ .